# **Course Syllabus**

### I. General Information

Course name	Differential equations
Programme	Mathematics
Level of studies (BA, BSc, MA, MSc, long-cycle	BA
MA)	
Form of studies (full-time, part-time)	Full-time
Discipline	Mathematics
Language of instruction	English

Course coordinator	dr hab. Ihor Korol
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Type of class (use only the types mentioned below)	Number of teaching hours	Semester	ECTS Points
lecture	30	IV	5
tutorial			
classes	30	IV	
laboratory classes			
workshops			
seminar			
introductory seminar			
foreign language			
classes			
practical placement			
field work			
diploma laboratory			
translation classes			
study visit			

Course pre-requisites   Introduction to mathematics, Calculus I, Calculus II
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# II. Course Objectives

- C1. To acquaint students with selected methods of solving ordinary differential equations.
- C2. Developing knowledge and skills regarding the application of ordinary differential equations.

### III. Course learning outcomes with reference to programme learning outcomes

Symbol	Description of course learning outcome	Reference to programme learning		
	KNOWLEDGE outcome			
W 01	The student knows the basic concepts of ordinary differential	K W01, K W03,		
_	equations and understands the geometric interpretation of a differential equation.			
W_02	The student knows the basic theorems on the existence and	K_W02, K_W04,		
	uniqueness of the solution to the initial problem.	K_W07		
SKILLS				
U_01	The student knows how to examine the existence of a solution	K_U01, K_U02,		
to the initial problem K_U		K_U04		
U_02	Student is able to solve elementary ordinary differential K_U01, K_U			
equations using appropriate analytical methods. K_l		K_U04, K_U21		
U_03	03 Students are able to use differential equations in various K_U03,			
	theoretical and practical problems	K_U06,K_U22		
SOCIAL COMPETENCIES				
K_01	Students precisely formulate questions to deepen the	K_K01		
	understanding of the subject and complement the missing			
	elements of reasoning			
K_02	O2 Students present opinions on the applicability of differential K_K01,K_K05			
	equations methods taking into account own knowledge and			
	skills			

### IV. Course Content

Definition of ordinary differential equation. Definition of the solution of ordinary differential equation. Geometric interpretation of the first order differential equation. Initial value problem. Examples of applications of differential equations in different fields of science. Existence and uniqueness of solutions of initial value problem.

The theory of n-order linear differential equations.

Systems of first order linear differential equations. Linear space of homogeneous system solutions, fundamental system, fundamental matrix.

Systems of nonhomogeneous first order linear differential equations.

Systems of linear equations with constant coefficients and algebraic methods of solving them. The stability theory.

Critical points of autonomous differential systems.

### V. Didactic methods used and forms of assessment of learning outcomes

Symbol	Didactic methods	Forms of assessment	Documentation type
	(choose from the list)	(choose from the list)	(choose from the list)
	KNOWLEDGE		
W_01	conventional lecture, discussion, practical classes	test, written exam, oral exam	evaluated test, protocol
W_02	conventional lecture,	test, written exam, oral	evaluated test, protocol

	discussion, practical	exam		
	classes			
		SKILLS		
U_01	conventional lecture,	test, written exam, oral	evaluated test, protocol	
	discussion, practical	exam		
	classes, laboratory classes			
U_02	conventional lecture,	test, written exam, oral	evaluated test, protocol	
	discussion, practical	exam		
	classes, laboratory classes			
U_03	conventional lecture,	test, written exam, oral	evaluated test, protocol	
	discussion, practical	exam		
	classes, laboratory classes			
	SOCIAL COMPETENCIES			
K_01	conventional lecture,	test, written exam, oral	evaluated test, protocol	
	discussion, practical	exam		
	classes, laboratory classes,			
	problem-based learning			
K_02	conventional lecture,	test, written exam, oral	evaluated test, protocol	
	discussion, practical	exam		
	classes, laboratory classes,			
	problem-based learning			

## VI. Grading criteria, weighting factors.....

### LECTURE:

The completion of classes is required. Written exam constitute the final grade:

91 - 100% excellent

81 - 90% very good

71 – 80% good

61 - 70% satisfactory

51 – 60% sufficient

less than 51% fail

### **CLASSES:**

At least 80% of attendance is required. Two tests together constitute the final grade:

91 - 100% excellent

81 - 90% very good

71 – 80% good

61 – 70% satisfactory

51 – 60% sufficient

less than 51% fail

Detailed assessment rules are given during lectures and classes.

### VII. Student workload

Form of activity	Number of hours
Number of contact hours (with the teacher)	90
Number of hours of individual student work	60

### VIII. Literature

### Basic literature

- 1. E. J. Bredensteiner, Differential Equations, McGRAW-HILL.
- 2. D. G. Zill, M. R. Cullen, Differential Equations with Boundary-Value Problems, Loyola Marymount University.
- 3. S. Ahmad, A. Ambrosetti, A Textbook on Ordinary Differential Equations, Springer

### Additional literature

- 1. J. Niedoba, W. Niedoba, Równania różniczkowe zwyczajne i cząstkowe. UWMD, Kraków, 2001.
- 2. S. Łanowy, F. Przybylak, B. Szłek, Równania różniczkowe. WPS, Gliwice, 2000.
- 3. M. Borsuk, Wykłady z równań różniczkowych i całkowych. UWM, Olsztyn, 2000.
- 4. A. Palczewski Równania różniczkowe zwyczajne. Teoria i metody metodyczne z wykorzystaniem komputerowego systemu obliczeń symbolicznych. WNT, Warszawa, 1999.
- 5. W.I. Arnold, Równania różniczkowe zwyczajne, PWN Warszawa, 1975.
- 6. L. S. Pontriagin, Równania różniczkowe zwyczajne, PWN Warszawa, 1976.
- 7. W. W. Stiepanow, Równania różniczkowe, PWN, Warszawa, 1984.
- 8. L. Włodarski., W. Krysicki, Analiza matematyczna w zadaniach. Warszawa: Wydawnictwo Naukowe PWN, 2001.
- 9. A. Filippow, Zbiór zadań z równań różniczkowych. Moskwa, 1961, 2004 (in russian).
- 10. Gewert M., Skoczylas Z. Równania różniczkowe zwyczajne. Teoria, przykłady, zadania. Wrocław, 2002.